

'Limbo-World'

The salient difference between the NetLogo and the VBA code is the explicitness with which the VBA code is written. In NetLogo ideas and concepts like the 'meta-world' or 'limbo-world' are taken for granted and don't show, just as loops didn't show up.

To refresh your memory: the 'limbo-world' is a parallel array which stores the observations of the present situation without translating them during the observation process. Thus, the future state of the automaton is stored in a parallel matrix of cells which reflect the present relationships between the cells. When all the present relationships have been evaluated and stored in the 'limbo-world', the 'present world' is swapped with the 'limbo-world', making the 'present' the 'limbo' world and vice versa.

This delaying of translation of a reading of a situation helps to circumvent the problem of the lack of real parallel computation. Since computers can only evaluate sequentially, the 'real' picture of the CA would be distorted if each cell would be updated right after it had been evaluated. The delaying of the updating and the reading of a situation in a *quasi-frozen* state ensures a fake simultaneity!

Topology vs Topography

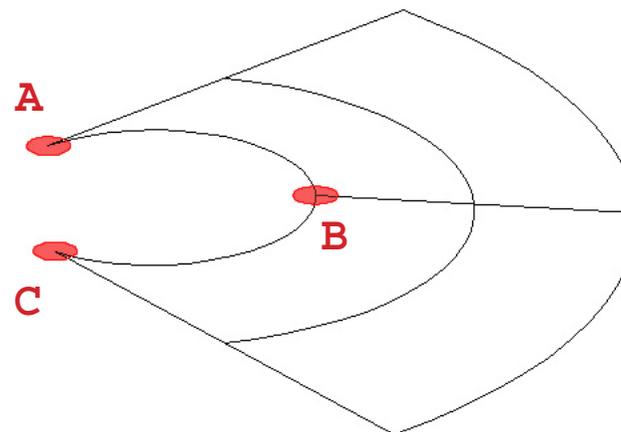
When one is talking about explicit visual qualities of a space or surface described through geometric semiology, one generally refers to a topography - the description of the appearance of a form.

On the other hand, when one is trying to describe an implicit, generally non-visible structure of a space, surface or geometry, one generally refers to a topology - the description of the structure of a form.

All calculations for a CA that is fixed on an orthogonal grid are topological, since other Euclidean qualities like distance, volume, surface are neglectable. Once a CA runs off the grid, like a voronoi diagram, geometric features can be taken into account. Thus, topography as well as topology form the basis for calculations.

In the example given below, topographically speaking, vertex A looks closer in distance to vertex C, making C geometrically the neighbour of A.

But topologically speaking, according to the structure of the surface mesh, vertex B is the closest neighbour to vertex A as well as C.



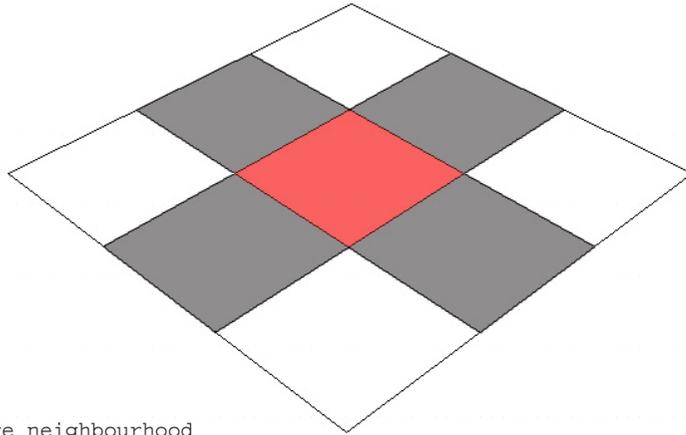
1901	vba.CA_I
1201	vba.select_collect
0812	vba.xmas_brief
0112	vba.loops_II
2411	vba.control_structures
1711	vba.procedural
1011	vba.line_walk
0311	adaptive machine
2710	analogue computing
2010	netlogo.react_diffuse
1310	netlogo.agents
0610	netlogo.CA

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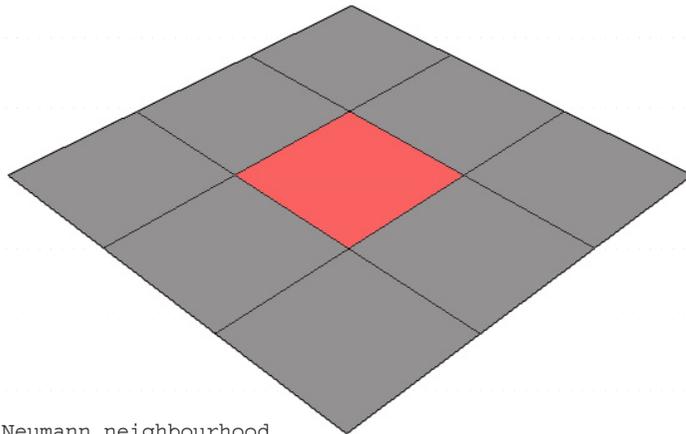


- + + 1901 vba.CA_I
- + + 1201 vba.select_collect
- + + 0812 vba.xmas_brief
- + + 0112 vba.loops_II
- + + 2411 vba.control_structures
- + + 1711 vba.procedural
- + + 1011 vba.line_walk
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- + + 1310 netlogo.agents
- + + 0610 netlogo.CA

Moore neighbourhood



van Neumann neighbourhood



Neighbour Count

In the function `counthem()`, we count up the states of all the topologically neighbouring cells from the perspective of one single cell at a time. There are two different types of neighbourhoods as shown in the diagram on the left.

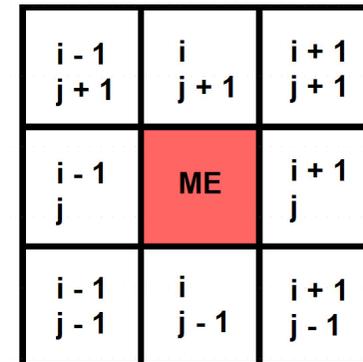
In order to count up the immediate topological neighbours, we need to loop through the two or three dimensional array that contains all the cells and collect the necessary information. Any given cell has an array index position. In 2d for example:

```
grid(i, j)
```

Topologically, the neighbours are the ones which are exactly one in array index away from the given cell in either direction, $(i-1)$ to $(i+1)$ and $(j-1)$ to $(j+1)$. In the code that is expressed through the nested loops

```
For i = rowpos - 1 To rowpos + 1
  For j = colpos - 1 To colpos + 1
    neighs = neighs + grid(i, j).state
  next j
next i
```

Below you will find a diagram of the array indices:



array indices in van Neumann neighbourhood

